Roland Schnaubelt September 8, 2025

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1. Books, survey and expository papers (peer reviewed)

1. J. Prüss, R. Schnaubelt and Rico Zacher, *Mathematische Modelle in der Biologie. Deterministische homogene Systeme.* Birkhäuser, 2008.

2. R. Schnaubelt, *Semigroups for nonautonomous Cauchy problems.* In: K. Engel and R. Nagel, "One-Parameter Semigroups for Linear Evolution Equations," Springer-Verlag, 2000, pp. 477–496.

3. R. Schnaubelt, *Well-posedness and asymptotic behaviour of non-autonomous linear evolution equations.* In: A. Lorenzi and B. Ruf (Eds.), "Evolution Equations, Semigroups and Functional Analysis," Birkhäuser, 2002, pp. 311–338.

4. R. Schnaubelt, *Asymptotic behaviour of parabolic nonautonomous evolution equations.* In: M. Iannelli, R. Nagel and S. Piazzera (Eds.), "Functional Analytic Methods for Evolution Equations," Springer-Verlag, 2004, pp. 401–472.

5. R. Schnaubelt, *Local wellposedness and long-time behavior of quasilinear Maxwell equations.* In: W. Dörfler, M. Hochbruck, J. Köhler, A. Rieder, R. Schnaubelt, C. Wieners: "Wave Phenomena: Mathematical Analysis and Numerical Approximation," Oberwolfach Seminars **49**, Birkhäuser, 2023, pp. 71–159.

2. Research papers (peer reviewed)

6. F. Räbiger and R. Schnaubelt, *The spectral mapping theorem for evolution semigroups on spaces of vector-valued functions.* Semigroup Forum **52** (1996), 225–239.

7. F. Räbiger, A. Rhandi and R. Schnaubelt, *Perturbation and an abstract characterization of evolution semigroups.* J. Math. Anal. Appl. **198** (1996), 516–533.

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11. F. Räbiger and R. Schnaubelt, *Absorption evolution families and exponential stability of non-autonomous diffusion equations.* Differential Integral Equations **12** (1999), 41–65.

12. R. Schnaubelt, *Sufficient conditions for exponential stability and dichotomy of evolution equations.* Forum Math. **11** (1999), 543–566.

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14. Y. Latushkin and R. Schnaubelt, *The spectral mapping theorem for evolution semigroups on L^p associated with strongly continuous cocycles.* Semigroup Forum **59** (1999), 404–414.

15. Y. Latushkin and R. Schnaubelt, *Evolution semigroups, translation algebras, and exponential dichotomy of cocycles.* J. Differential Equations **159** (1999), 321–369.

16. G. Lumer and R. Schnaubelt, *Local operator methods and time dependent parabolic equations on non-cylindrical domains.* In: M. Demuth, E. Schrohe, B.-W. Schulze and J. Sjöstrand (Eds.), "Evolution Equations, Feshbach Resonances, Singular Hodge Theory," Mathematical Topics Vol. 16, Wiley, 1999, pp. 58–130.

17. R. Schnaubelt and J. Voigt, *The non-autonomous Kato class.* Arch. Math. **72** (1999), 454–460.

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24. G. Gühring, F. Räbiger and R. Schnaubelt, *A characteristic equation for nonautonomous partial functional differential equations.* J. Differential Equations **181** (2002), 439–462.

25. G. Metafune, J. Prüss, A. Rhandi and R. Schnaubelt, *The domain of the Ornstein–Uhlenbeck operator on an L^p-space with invariant measure.* Ann. Scuola Norm. Sup. Pisa Cl. Sci. (5) **1** (2002), 471–485.

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3. Preprints

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